

Vector functions	
Function signature	Description
vector = row_vector = create_vector vector(X), vector(K,X) col_vector(X) = vector(X,'c'), col_vector(K, X) = vector(K,X,'c')	The function vector(X) transforms a list X to a Vector. If a field or ring K is supplied as the first parameter, the elements of X are pushed to elements of it. The parameter 'c' is to indicate that the constructed vector be a column vector.
vec(x,K) vec(x)	It returns vector(K,x). By default K = Zn(2)
eps(n,j) eps(m,n,j,k)	If n is a positive integer and $0 \leq j < n$ , eps(n,j) is the length n list whose j-th entry is 1 and all other entries are 0. If j is out of the indicated range, eps(n,j) is the length n list whose entries are all 0. Similarly, given positive integers m and n, and integers j and k such that $0 \leq j < m$ and $0 \leq k < n$ , eps(m,n,j,k) creates an $m \times n$ matrix with all entries 0 except 1 in the (j,k) entry. If either j or k is not in the stated range, the call returns the $m \times n$ null matrix. Examples: eps(4,1) $\Rightarrow$ [0, 1, 0, 0] eps(3,4,2,2) $\Rightarrow$ $\begin{bmatrix} 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 \\ 0 & 0 & 1 & 0 \end{bmatrix} :: \text{Matrix}[\text{ZZ}]$
vector_append(x,a)	If x is a vector, this function is equivalent to vector(list(X)+[a])
error_vector(n,E)	If E is a list of pairs (j,v), j in 0..n-1, it creates a length n vector with values v at the positions j.
wt(x) hd(x,y)	If x is a list or vector, wt(x) is equivalent to len(support(x)). If y is another list or vector of the same length as x, hd(x,y) supplies the Hamming distance between x and y, which by definition is the cardinal of the set of indices j in the range of the lists/vectors such that $x_j \neq y_j$ . If both x and y are vectors, it is equivalent to wt(x-y).
cyclic_shift(x) cyclic_shifts(x)	Given x a vector [x1....xn], cyclic_shift(x) returns [xn,x1...xn-1]. cyclic_shifts(x) return a list with all the different cycles of x.
reverse(x)	If x = [x1,...,xn] is a list or a vector, it return the reverse element x'=[xn,...,x1]
support(x) pattern(x) histogram(x)	If x is a list or vector, support(x) yields the list of the indices i in the range of x such that $x_i \neq 0$ . The function pattern(x) and histogram returns a pair (s,v), with s = support(x) and v = vector([x[j] for j in s])
convolution(a,b,k) convolution(a,b)	If a and b are vectors or lists and k is an integer, this function returns the k-th coefficient of the convolution of a and b, namely the sum of the terms $a_j \cdot b_{k-j}$ for $j = 0, \dots, k$ , with the convention that $a_j = 0$ if $j \geq \text{len}(a)$ and $b_{k-j} = 0$ if $k-j \geq \text{len}(b)$ . Thus $\text{convolution}(a,b,k) = 0$ if $k < 0$ or $k \geq \text{len}(a) + \text{len}(b)$ . If a and b are lists, convolution(a,b) is the list [convolution(a,b,k) for k in range(n)], where $n = \text{len}(a) + \text{len}(b) - 1$ . For vectors, convolution(a,b) is equivalent to vector(convolution(list(a),list(b))).
geometric_series (x, n, s0) geometric_series (x, n)	The first call produces the vector [s0,s0·x,...,s0·x^(n-1)]. The second is defined as geometric_series(x,n,1), which therefore supplies the vector [1, x,...,x^(n-1)].

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flip(x) flip(x,k)	<p>The first form transforms a list or a vector <math>x</math> into the list or vector whose components are <math>1-x[j]</math>, <math>j</math> in the range of <math>x</math>. For a binary list or vector, it coincides with the result of swapping 0 and 1 (this explains the name given to the function). In the second form, <math>k</math> may be an index in the range of <math>x</math>, or a list/tuple/set of such indices and only the <math>k</math>th component, or the components with index in <math>k</math>, undergo the transformation <math>1-x[j]</math>.</p> <p>Examples:  <math>x = \text{rd\_vector}(\text{Zn}(2),7) \Rightarrow [1, 0, 0, 1, 0, 0, 1] :: \text{Vector}[\text{Z2}]</math>  <math>\text{flip}(x) \Rightarrow [1, 0, 1, 1, 0, 0, 1] :: \text{Vector}[\text{Z2}]</math>  <math>\text{flip}(x) \Rightarrow [1, 0, 0, 1, 0, 0, 1] :: \text{Vector}[\text{Z2}]</math>  <math>R = \text{vector}(\text{Zn}(5), \text{list}(\text{range}(9))) \Rightarrow [0,1,2,3,4,0,1,2,3] :: \text{Vector}(\text{Z5})</math>  <math>\text{flip}(R,(1,6)) \Rightarrow [0, 0, 2, 3, 4, 0, 0, 2, 3] :: \text{Vector}[\text{Z5}]</math>  <math>\text{flip}(R) \Rightarrow [1, 1, 4, 3, 2, 1, 1, 4, 3] :: \text{Vector}[\text{Z5}]</math></p>
invert_entries (a)	If $a$ is a vector with no zero entries, it returns the vector $[1/a_1, \dots, 1/a_n]$ .
prod (x, y) dot (x, y)	If $x$ and $y$ are lists or vectors of the same length $n$ , $\text{prod}(x, y)$ constructs the vector $[x_1 \cdot y_1, \dots, x_n \cdot y_n]$ and $\text{dot}(x, y)$ yields the sum $x_1 \cdot y_1 + \dots + x_n \cdot y_n$
rd_vector(K,n)	Given a domain $K$ and a integer $n$ , it returns a vector of $n$ elements in $K$ .
rd_nonzero_vector(K,n)	Given a domain $K$ and a integer $n$ , it returns a vector of $n$ elements in $K$ with not all elements equal to zero.
null_vector() null_vector(K)	It returns a vector of length 0. If a domain $K$ is given, the null vector will have domain $K$ .
subs_element(A,x,y)	Given a vector or matrix $A$ , it changes all the entries equal to $x$ by the element $y$ .
rd_error_vector (K, n, s) rd_error_vector (K, s)	If $n$ and $s$ are positive integers, $s \leq n$ , and $K$ is a field (or a ring), $\text{rd\_error\_vector}(K, n, s)$ produces a vector in $K^n$ of weight $s$ whose non-zero positions and the corresponding values have been chosen randomly. The function $\text{rd\_error\_vector}(K, s)$ is defined as $\text{rd\_error\_vector}(K, q-1, s)$ , where $q$ is the cardinal of $K$ .
bin_(x)	Given a list or a vector $x$ , it returns a vector $v$ equal to $x$ changing the -1 elements by 0.
unbin_(x)	Given a list or a vector $x$ , it returns a vector $v$ equal to $x$ changing the 0 elements by -1.
is_vector(v)	It returns if $v$ is of type vector.
vector_resultant(v,w)	Given two vectors, it returns the resultant of the two vectors.
append_vector(*V)	Given a list of vectors it concatenates all the elements.