

Geometric Algebra functions	
<b>Function signature</b>	<b>Description: Examples in GA-tests/GA-main.ipynb</b>
<code>GA(domain,symbol,n,pos="", neg = "", order = (1,-1,0), i0=1)</code>	Creates a Geometric Algebra over $K='domain'$ of a linear geometric space of dimension $n$ and signature $(r,s,t)$ , $r='pos'$ , $s='neg'$ , $t=n-r-s$ . The basis of linear space is denoted $e_j$ , where $e='symbol'$ and $j$ runs in the range $i0 \cdots i0+(n-1)$ , with $i0=1$ by default. By default the order of this basis is positive vectors first, then negative, and finally null vectors.
<code>scalar(x)</code>	Yields the scalar coefficient of the multivector $x$ .
<code>dual(x)</code>	In the non-degenerate case, it gives the dual of the multivector $x$ , i.e., $x*I$ , where $I$ is the pseudoscalar ( $I$ is the product of the basis elements).
<code>hat(x)</code> <code>reverse(x)</code>	These functions give the grade and reverse involutions of the multivector $x$ , respectively.
<code>evaluate(f,pos,value)</code>	This function evaluates the coefficients (which may be polynomials) of the multivector $f$ . In other words, it returns $\sum evaluate(f_l,pos,value)e_l$ .
<code>scalar_product(x,y) = x &amp; y</code>	If $x$ and $y$ are multivectors, this function computes its scalar product, namely the natural extension of the scalar product of the linear geometric space to the whole geometric algebra. It is equal to <code>scalar(x*reverse(y))</code> .
<code>dot(x,y) = x y</code>	Gets the inner product of multivectors $x$ and $y$ .
<code>algebra(domain, T,symbols,i0=1)</code>	Constructs an algebra over $D = 'domain'$ with product table given by the dictionary $T$ , and with bases specified as the list of 'symbols'.
<code>nalgebra(domain,T,symbol,n,i0=1,scalar=True)</code>	